

A revised carbon isotope composition of the convecting upper mantle

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Supplementary Information

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Analytical Methods

Secondary ion mass spectrometry (SIMS) for CO₂ and $\delta^{13}\text{C}$ measurements. Carbon isotope measurements were conducted using a Cameca IMS-1280 large-geometry secondary ion mass spectrometer at the Northeast National Ion Microprobe Facility, Woods Hole Oceanographic Institution, USA, following the analytical protocol of Shea *et al.*, (2025a). Sample preparation involved pressing olivines containing melt inclusions and carbon-free San Carlos Olivines and the ETNA36 and ETNA24 reference materials in indium on one-inch aluminium rounds to avoid carbon contamination from organic epoxy mounting media. All melt inclusions and reference materials were mounted less than 10 mm from the centre of the one-inch mount to avoid deflection artefacts. Analysed melt inclusions are discussed below in Sample Characterisation. A $^{133}\text{Cs}^+$ primary beam (10 kV, 10 nA) was rastered over a $25 \times 25 \mu\text{m}$ area for 300 s pre-sputtering, then reduced to $20 \times 20 \mu\text{m}$ measurement, producing a $40 \mu\text{m}$ analytical pit. Multi-collection simultaneously measured $^{12}\text{C}^-$ and $^{13}\text{C}^-$ on electron multipliers with $^{18}\text{O}^-$ as the reference mass on a Faraday cup detector. Measurements comprised 100 cycles with optimised secondary ion optics achieving mass resolving power of ~ 5000 to resolve $^1\text{H}^{12}\text{C}^+$ polyatomic interference on $^{13}\text{C}^-$. Calibration employed synthetic basalt reference materials ETNA24 and ETNA36 (CO₂: 2026 – 2300 $\mu\text{g g}^{-1}$, $\delta^{13}\text{C}$: -10.2 and -14.3‰), characterised using step-heating manometry combined with IRMS, combined with lower concentration CO₂ in-house reference materials from Woods Hole Oceanographic Institution. CO₂ concentrations were determined using $^{12}\text{C}/^{18}\text{O}$ ratios, with oxygen calculated from charge balancing each ion measured by EPMA analysis, with full uncertainty propagation of all ions to ascertain uncertainty on the calculated oxygen. An averaged instrumental mass fractionation (IMF) factor was applied to all measurements.

Background corrections were applied to all measurements to control for mixing with organic carbon contamination as detailed in Shea *et al.* (2025a). Carbon background contamination was minimised to <1 ppm CO₂, with the low background levels resulting in background corrections of typically <1‰ for most samples, enabling reliable $\delta^{13}\text{C}$ measurements down to ~6 ppm CO₂. Final CO₂ concentration uncertainties were calculated using orthogonal distance regression to fully propagate all uncertainties from the measurement, calibration, and isotope correction procedures, incorporating the measured isotope ratio, reference mass, and associated uncertainty. Measurement precision under repeatability conditions was typically $\pm 0.35\%$ (1 RSE) at high CO₂ concentrations, with $\pm 1.00\%$ (1 RSE) at moderate levels (163 – 267 $\mu\text{g g}^{-1}$). All $\delta^{13}\text{C}$ values are reported relative to Vienna Pee Dee Belemnite (VPDB) standard. Full analytical details, including calibration curves, are provided in Shea *et al.* (2025a).

Electron probe microanalysis (EPMA). Major element measurements on the melt inclusion glasses were conducted using a JEOL Field Emission Gun (FEG) JXA-iHP200F microprobe in the Department of Earth Sciences at the University of Cambridge. Operating conditions included an accelerating voltage of 15 kV, beam current of 6 nA, and beam diameter of 5 μm , with a take-off angle of 40°. Si, Ti, Al, Cr, Fe, Ni, Mn, Mg, Ca, Na, K, P, and S were measured using wavelength-dispersive spectrometry (WDS) with the following crystal configurations: Si K α on TAPL, Ti K α on PETL, Al K α on TAPL, Cr K α on LIFL, Fe K α on LIFL, Ni K α on LIFL, Mn K α on LIFL, Mg K α on TAPL, Ca K α on PETH, Na K α on TAP, K K α on PETL, P K α on PETL, and S K α on PETH crystals. Peak counting times were 20 s for Si, Al, Mg, Ca, Na, and K; 40 s for Ti, Cr, and Mn; 60 s for Fe and P; and 150 s for S. Background counting times were 10 s for Si, Al, Mg, Ca, Na, and K; 20 s for Ti, Cr, and Mn; 30 s for Fe and P; and 75 s for S. Calibration was performed using the following certified reference materials and measurement standards: wollastonite (Si), rutile (Ti), K-feldspar (Al, K), Cr metal (Cr), fayalite (Fe), NiO (Ni), Mn metal (Mn), periclase (Mg), diopside (Ca), jadeite (Na), apatite (P), and pyrite (S). Peak and background counting times were optimised for each element to achieve adequate counting statistics whilst minimising measurement drift and beam damage to volatile elements, particularly Na and K. Data reduction was performed using the $\phi(\rho z)$ matrix correction procedure to account for atomic number, absorption, and fluorescence effects. Measurement precision, assessed from replicate measurements of reference materials under repeatability conditions, was typically <1% relative standard deviation for major elements (Si: 0.31% RSD, Mg: 0.49% RSD) and <3% relative standard deviation for minor elements (Fe: 2.61% RSD). Results are reported as element oxides with measurement totals typically between 99–101 wt%, indicating excellent measurement accuracy and absence of significant matrix effects. Measurement trueness was monitored through regular measurements of an in house Stapafell basalt reference material (STAP; Taracsák *et al.*, 2021). Where possible, multiple measurement points were taken on individual melt inclusions to assess homogeneity, with results reported as weighted averages with propagated measurement uncertainties.

Laser ablation inductively coupled plasma mass spectrometry (LA-ICP-MS). Measurements were conducted on an ESI NWR 193nm excimer laser-ablation system interfaced to a Perkin-Elmer Nexion 350D ICP-MS in the Department of Earth Sciences at the University of Cambridge. Pure helium was used as the ablation gas at a precisely controlled flow rate of 600 mL min⁻¹. The helium flow carrying the ablated sample material was joined with an argon stream from the ICP-MS at 1 L min⁻¹ before entering the plasma. Measurements were conducted using a laser repetition rate of 20 Hz and laser fluence of 4 J cm⁻². ⁷Li, ¹¹B, ²⁹Si, ⁴³Ca, ⁴⁴Ca, ⁴⁵Sc, ⁴⁷Ti, ⁵¹V, ⁵³Cr, ⁵⁵Mn, ⁵⁹Co, ⁶⁰Ni, ⁶⁵Cu, ⁶⁶Zn, ⁶⁹Ga, ⁷⁴Ge, ⁸⁵Rb, ⁸⁸Sr, ⁸⁹Y, ⁹⁰Zr, ⁹³Nb, ¹³⁷Ba, ¹³⁹La, ¹⁴⁰Ce, ¹⁴¹Pr, ¹⁴³Nd, ¹⁴⁷Sm, ¹⁵³Eu, ¹⁵⁷Gd, ¹⁵⁹Tb, ¹⁶³Dy, ¹⁶⁵Ho, ¹⁶⁶Er, ¹⁶⁹Tm, ¹⁷²Yb, ¹⁷⁵Lu, ¹⁷⁸Hf, ¹⁸¹Ta, ²⁰⁸Pb, ²³²Th, ²³⁸U were measured using spot sizes that varied between 60 and 80 μm , depending on the size of the melt inclusions. ⁴³Ca and ⁴⁴Ca were analysed to monitor potential ²⁸Si¹⁶O⁺ interference on ⁴⁴Ca and ²⁹Si¹⁶O⁺ interference on monoisotopic ⁴⁵Sc; no interference outside of measurement uncertainty was measured. ⁶⁵Cu and ⁶⁶Zn were selected to mitigate any issues with magnesium argide polyatomic interferences. For elements with very high ICP-MS signals (Na, Al, Si), the Nexion RPa and RPq collision/reaction cell parameters were adjusted to attenuate signals and ensure detection on pulse counters, avoiding use of the analogue detector. Measurements lasted 64 s, which included 20 s of background, 30 s of measurement, and 14 s of washout. The measurement standard NIST612 and SiO₂ content measured by EPMA were used for internal standard normalisation, whilst the certified reference material NIST610 was used to measure measurement trueness and uncertainty, and BHVO-2G and BIR-1G were used for quality assurance secondary reference materials (see spreadsheet of laser secondary standards, available for

download from the online version of this article at <https://doi.org/10.7185/geochemlet.2610>). Measurement precision, based on repeated measurements of NIST610 under repeatability conditions, was on average 6.2% RSD for most elements (ranging from 4.2% for Ho to 12% for Zn; Table S-2). All data were reduced using GLITTER software v4.5 (Griffin *et al.*, 2008). Where elements did not exceed the limit of detection, concentrations are reported as less than the limit of detection, and these measurements were excluded from plots. Where possible, duplicate or triplicate measurements were conducted close to the centre of the melt inclusions, with results reported as weighted mean $\bar{x} = \sum_i (x_i/\sigma_i^2) / \sum_i (1/\sigma_i^2)$ with propagated measurement uncertainties $SE = (\sum_i \sigma_i^{-2})^{-1/2}$, assuming individual measurement uncertainties are independent and no excess scatter beyond measurement uncertainty.

Statistical Methods

All statistical calculations were implemented in Python (version 3.11.6) using NumPy (version 1.26.4) and SciPy (version 1.14.1) libraries (Harris *et al.*, 2020; Virtanen *et al.*, 2020). Weighted means, variance decomposition, and overdispersion statistics were calculated following standard uncertainty propagation and intrinsic variance estimations in physical sciences (Taylor, 1997; Lyons, 1991). Chi-squared values were obtained using `scipy.stats.chi2.ppf()`. Weighted statistics and Monte Carlo simulations were calculated using either custom functions or custom Jupyter notebook implementations with full uncertainty propagation to ensure transparency and reproducibility. Full Python code used for data processing, statistical analysis, and figure generation is provided in Shea *et al.* (2025b).

Weighted mean calculations. For datasets with associated analytical uncertainties, we calculated weighted means using:

$$\bar{x}_w = \frac{\sum_{i=1}^n w_i x_i}{\sum_{i=1}^n w_i} \quad (\text{S-1})$$

where $w_i = 1/\sigma_i^2$ are the inverse-variance weights derived from the individual analytical uncertainties σ_i . Inverse-variance weighting provides the minimum-variance unbiased estimator of the population mean when measurement uncertainties differ between observations, ensuring that more precise measurements contribute proportionally greater influence on the final estimate (Taylor, 1997; Lyons, 1991). This approach is standard practice where heteroscedastic uncertainties are present.

Z-score calculation and overdispersion assessment. For each dataset, we calculated normalised residuals (z-scores) as:

$$z_i = \frac{x_i - \bar{x}_w}{\sigma_i}, \quad (\text{S-2})$$

where x_i are individual $\delta^{13}\text{C}$ measurements, $\bar{x}_w$ is the weighted mean, and σ_i are the individual measurement uncertainties.

The standard deviation of the z-scores was used to assess overdispersion:

$$\sigma_z = \sqrt{\frac{1}{n-1} \sum_{i=1}^n \left(\frac{x_i - \bar{x}_w}{\sigma_i} \right)^2} = \sqrt{\frac{1}{n-1} \sum_{i=1}^n z_i^2}. \quad (\text{S-3})$$

The factor $(n - 1)$ accounts for the loss of one degree of freedom associated with estimating the population mean from the data. This correction, known as Bessel's correction, ensures an unbiased estimate of the population variance when the mean is estimated from the sample rather than known *a priori* (Taylor, 1997; Lyons, 1991).

If analytical uncertainty fully accounts for the observed scatter, these normalised residuals should follow a standard normal distribution with unit variance (Taylor, 1997). Under this condition, σ_z is expected to approximate 1.0. Values of $\sigma_z > 1.0$ indicate excess variance beyond analytical uncertainty, reflecting intrinsic natural heterogeneity in

the mantle source, whereas values of $\sigma_z < 1.0$ indicates that analytical uncertainty fully explains the observed scatter (Taylor, 1997; Lyons, 1991).

Statistical significance of overdispersion. To determine whether observed overdispersion reflects genuine natural heterogeneity rather than sampling variability, we performed a chi-squared test of the normalised residual variance. Under the null hypothesis that $\sigma_z = 1.0$ (i.e., all observed scatter is fully explained by analytical uncertainty), the test statistic:

$$\chi^2 = (n - 1) \cdot \sigma_z^2, \quad (\text{S-4})$$

follows a chi-squared distribution with $\nu = (n - 1)$ degrees of freedom (Taylor, 1997; Lyons, 1991). The use of $\nu = n - 1$ degrees of freedom reflect the estimation of the population mean from the data, which introduces one fitted parameter and reduces the number of independent degrees of freedom accordingly (Taylor, 1997; Lyons, 1991). The corresponding p -value is calculated as the probability of observing a chi-squared value greater than or equal to the observed value under the null hypothesis. Critical values were evaluated at the $\alpha = 0.05$ significance level and were calculated using `scipy.stats.chi2.ppf()`. Only datasets where the calculated χ^2 exceeded the critical value (equivalently, where $p < 0.05$) were considered to show statistically significant overdispersion, indicating intrinsic natural heterogeneity beyond analytical uncertainty rather than purely analytical scatter (Taylor, 1997; Lyons, 1991).

Variance decomposition and natural heterogeneity quantification. For datasets showing statistically significant overdispersion, we performed variance decomposition analysis to separate analytical uncertainty from geological signal. The total observed variance can be partitioned into analytical and natural components:

$$\sigma_{\text{total}}^2 = \sigma_{\text{analytical}}^2 + \sigma_{\text{natural}}^2, \quad (\text{S-5})$$

where $\sigma_{\text{analytical}}$ represents measurement uncertainty and σ_{natural} represents intrinsic mantle heterogeneity (Taylor, 1997).

The overdispersion statistic (σ_z ; Eq. S-3) quantifies how much the observed scatter exceeds analytical uncertainty alone. A value of $\sigma_z > 1$ indicates additional natural variability. The natural variance component can therefore be calculated directly from the excess variance:

$$\sigma_{\text{excess}}^2 = (\sigma_z^2 - 1) \sigma_{\text{analytical}}^2. \quad (\text{S-6})$$

This relationship shows that the excess scatter beyond analytical uncertainty reflects true mantle heterogeneity (Lyons, 1991). The relative magnitude of natural variability compared to analytical uncertainty is given by the ratio of their standard deviations:

$$\frac{\sigma_{\text{natural}}}{\sigma_{\text{analytical}}} = \sqrt{\sigma_z^2 - 1}. \quad (\text{S-7})$$

To express this in absolute units (%), we multiplied this ratio by the average analytical uncertainty for the undegassed dataset:

$$\sigma_{\text{natural}} = \sqrt{\sigma_z^2 - 1} \bar{\sigma}_{\text{analytical}}. \quad (\text{S-8})$$

The fraction of total variance attributable to natural heterogeneity and analytical uncertainty are therefore:

$$f_{\text{natural}} = \frac{\sigma_{\text{natural}}^2}{\sigma_{\text{total}}^2} = \frac{\sigma_z^2 - 1}{\sigma_z^2} = 1 - \frac{1}{\sigma_z^2}, \quad (\text{S-9})$$

and

$$f_{\text{analytical}} = \frac{\sigma_{\text{analytical}}^2}{\sigma_{\text{total}}^2} = \frac{1}{\sigma_z^2}, \quad (\text{S-10})$$

such that

$$f_{\text{natural}} + f_{\text{analytical}} = 1.$$

Therefore, this approach provides a quantitative estimate of the natural mantle heterogeneity independent of measurement precision (Taylor, 1997; Lyons, 1991).

Monte Carlo simulation of fractional organic carbon burial (f_{org}). The fraction of organic carbon burial (f_{org}) was estimated using a Monte Carlo simulation implemented in Python using NumPy and SciPy (Harris *et al.*, 2020; Virtanen *et al.*, 2020), following standard uncertainty propagation approaches (Taylor, 1997; Press *et al.*, 2007). The calculation is based on the steady-state carbon isotope mass balance between organic and carbonate carbon reservoirs:

$$\delta^{13}\text{C}_{\text{in}} = \delta^{13}\text{C}_{\text{org}}f_{\text{org}} + \delta^{13}\text{C}_{\text{carb}}(1 - f_{\text{org}}), \quad (\text{S-11})$$

rearranged to solve for f_{org} :

$$f_{\text{org}} = \frac{\delta^{13}\text{C}_{\text{in}} - \delta^{13}\text{C}_{\text{carb}}}{\delta^{13}\text{C}_{\text{org}} - \delta^{13}\text{C}_{\text{carb}}}. \quad (\text{S-12})$$

Monte Carlo sampling was used to propagate uncertainty in all parameters. We performed 10^6 random Monte Carlo draws, sampling $\delta^{13}\text{C}_{\text{in}}$ from a normal distribution with mean -3.6‰ and standard deviation SD 0.1‰, derived from the 95% confidence interval of the convecting upper mantle estimate ($\sigma = CI/1.96$). For comparison with previous mantle estimates, we also performed simulations using $-4.9 \text{‰} \pm 1.9 \text{‰}$ (SD) from Stachel *et al.* (2022).

Carbonate carbon isotope compositions ($\delta^{13}\text{C}_{\text{carb}}$) were sampled from a normal distribution with mean 0‰ and standard deviation 0.5‰ to account for natural carbonate heterogeneity. Organic carbon isotope compositions ($\delta^{13}\text{C}_{\text{org}}$) were generated by applying a biologically derived fractionation factor sampled from a truncated normal distribution (mean -26‰, SD 2‰, truncated between -30‰ and -20‰), consistent with observed biological fractionation ranges (Kump and Arthur, 1999).

Only physically realistic solutions were retained, requiring $0 \leq f_{\text{org}} \leq 1$ and denominators ($\delta^{13}\text{C}_{\text{org}} - \delta^{13}\text{C}_{\text{carb}}$) sufficiently distinct from zero to avoid numerical instabilities. The resulting f_{org} distributions were used to calculate median values and confidence intervals, and results are shown in Figures S-5 and S-6.

Results

Collated measurements and their uncertainties can be found in the Borgarhraun, Siqueiros and Glasses .csv files (available for download from the online version of this article at <https://doi.org/10.7185/geochemlet.2610>).

Degassed population. Degassed samples were identified by statistical outliers of $\delta^{13}\text{C}$ values from melt inclusion and embayment measurements. We assumed that most melt inclusions and embayments represent undegassed magmatic compositions, with outliers representing degassed samples.

For each volcano, a weighted mean $\delta^{13}\text{C}$ was calculated using melt inclusions and embayments (matrix glass excluded). Samples with a z-score > 3.0 were identified as a possible degassed population, based on the assumption most samples were not degassed and a z-score > 3.0 indicates $>99\%$ deviation from the population mean. This approach is validated by outliers showing more negative $\delta^{13}\text{C}$ values that align with open-system equilibrium degassing model trends. Degassed samples are plotted as red diamonds in the main text on Figure 2.

Upper mantle $\delta^{13}\text{C}$. After removing degassed measurements, we calculated refined $\delta^{13}\text{C}$ statistics for the undegassed population to estimate the primary mantle carbon isotope signature. This approach isolates samples that best represent the initial magmatic composition prior to significant CO_2 degassing and associated isotope fractionation.

Overdispersion and its statistical significance. The variance decomposition analysis reveals that the excess variance ratio $(\sigma_z^2 - 1) = 0.56$, corresponding to a natural-to-analytical variance ratio of 0.56. This implies that 36% of the total variance is attributable to natural heterogeneity beyond analytical uncertainty. With an average analytical uncertainty of 1.05‰ (1σ), this corresponds to a natural mantle heterogeneity component of 0.79‰ (1σ), compared to a total observed standard deviation of 1.31‰.

For the combined undegassed dataset ($n=78$) the $\sigma_z = 1.25$, $\chi^2 = 120.43$, $\alpha = 98.48$, and a p -value = 0.0011. Since $\chi^2 > \alpha$ and $p = 0.0011 < 0.05$, we reject H_0 at the 95% confidence interval, demonstrating that natural heterogeneity in the mantle source contributes to the variance observed in our dataset.

Sample Characterisation

Principal component analysis (PCA) of melt inclusion chemistry. To check from bias in how our location sample locations record upper mantle $\delta^{13}\text{C}$ and how the olivines entrapped the enclosed melt inclusions, PCA was performed separately on the geochemical datasets from Borgarhraun and Siqueiros to identify patterns of element covariation and reduce data dimensionality. Prior to analysis, samples with missing data were excluded, and the following variables were removed from the analysis: sample identifiers (sample, olivine_id), categorical variables (sample_type, Location), elements with high analytical uncertainty or below detection limits (Cr_2O_3 , NiO, P_2O_5 , TiO_2), analytical totals (Total), and calculated oxygen values (O).

Data preprocessing followed standard procedures for compositional geochemical data. All remaining major and trace element concentrations were standardised to zero mean and unit variance using z-score normalisation to ensure equal weighting of variables regardless of their absolute concentration ranges or measurement units. This standardisation step is essential for PCA to prevent elements with higher absolute values from dominating the principal components. PCA was implemented using the scikit-learn decomposition module in Python (Pedregosa *et al.*, 2011), with two principal components extracted for each dataset. The choice of two components was based on interpretability and the requirement to capture the primary patterns of element covariation while maintaining sufficient variance explanation. Standardised data were transformed using `StandardScaler()` prior to fitting the PCA model.

For each dataset, we calculated: (1) principal component loadings for PC1 and PC2, representing the contribution of each element to the respective components; (2) explained variance ratios for each component; (3) sample scores representing the projection of each sample onto the principal component space; and (4) loading angles in PC1-PC2 space, calculated as $\theta = \arctan(\text{PC2 loading}/\text{PC1 loading})$ and converted to degrees, to quantify the angular relationships between elements in the reduced dimensional space.

The geological interpretation of principal components was based on the pattern of element loadings, with particular attention to known element associations and partitioning behaviours in basalt systems and olivine-hosted melt inclusions. Elements with similar loading patterns (small angular differences) were interpreted as geochemically coherent, while orthogonal relationships indicated independent geochemical behaviour.

Melt inclusion chemistry characterisation. To investigate whether different magmatic processes could introduce systematic bias in $\delta^{13}\text{C}$ measurements, we examined PCA-ordered element covariance patterns in olivine-hosted melt inclusions and embayments from both locations (Figure S-1). The PCA covariance structures reveal contrasting magmatic controls: Borgarhraun shows strong covariance among lithophile elements and incompatible trace elements, indicating the concurrent mixing of diverse fractional melts during olivine crystallisation; Siqueiros displays weaker inter-element correlations, consistent with efficient pre-entrapment melt homogenisation in the axial magma lens (MacLennan *et al.*, 2003a, 2003b; Rubin *et al.*, 2009; Rudge *et al.*, 2013). Despite these fundamentally different petrogenetic processes, $\delta^{13}\text{C}$ shows little correlation with any individual elements at both sites, indicating no systematic bias from variable degree and depth of melting, magmatic evolution, or inclusion entrapment mechanisms. Importantly, CO_2 has strong correlations with other incompatible, non-volatile, trace element concentrations (Ba, Nb, K_2O , La; Figure S-2; Saal *et al.*, 2002; Le Voyer *et al.*, 2017; Hirschmann, 2018; Miller *et al.*, 2019), confirming that both suites record variably undersaturated melts unaffected by degassing that reflect mantle melting. These relationships are further supported by primitive mantle-normalised REE patterns (Figure S-3) and demonstrate that while the Siqueiros and Borgarhraun sample sets do show distinct magmatic evolution pathways, these have not systematically affected the carbon isotope compositions of their trapped liquids.

Some melt inclusions from both Borgarhraun and Siqueiros contained bubbles, which could potentially indicate post-entrapment CO_2 loss. However, we observe no evidence for degassing or CO_2 loss in our dataset. CO_2/ITE ratios are controlled by source composition, and degassing would decouple volatile (CO_2) from non-volatile (Ba, Nb) incompatible trace elements, producing elevated ITE concentrations at anomalously low CO_2 contents. This degassing signature is clearly visible in the uncorrected data from Hauri *et al.* (2018), where samples plot at high Ba concentrations with depleted CO_2 (Figure S-3). In contrast, our Borgarhraun data align with the corrected Hauri *et al.* (2018) values, and our Siqueiros data are consistent with Saal *et al.* (2002), both showing positive correlations between CO_2 and

incompatible trace elements (Figure S-3). The absence of samples plotting at high ITE and low CO₂ demonstrates that our melt inclusions have retained their primary CO₂ concentrations, and any bubbles present likely formed during cooling and decompression after trapping rather than through syn-entrapment or post-entrapment CO₂ loss.

Kimberlites and Associated Rocks

Kimberlites and related melts have a wide $\delta^{13}\text{C}$ range observed in (-1.2 to -10.8‰) can largely be explained by degassing of a mantle-derived carbon reservoir. The example open- and closed-system models reproduce the main spread in the data, indicating that progressive CO₂ loss with isotope fractionation is sufficient to account for most observations. Although the specific trajectory depends on starting CO₂ and degassing conditions, the overall array is consistent with convecting upper mantle carbon as the dominant source, and partial degassing driving negative values. A minority of samples with unusually high $\delta^{13}\text{C}$ values plot above the mantle field and cannot be generated by degassing, implying an additional contribution from isotopically heavy carbonates.

Supplementary Tables

Table S-1 Evaluation of measurement trueness for EPMA analysis against reference quality values for the STAP glass (Taracsák *et al.*, 2021). Measurement performance metrics are calculated from 38 replicate spot analyses under repeatability conditions of measurement (24 for Cr₂O₃, 7 for NiO). Bias (%) represents the relative difference between measured and reference values, calculated as $(\text{measured} - \text{reference})/\text{reference} \times 100$. The En number (normalised error) is calculated as $E_n = |\text{measured} - \text{reference}| / \sqrt{\text{SEM}^2 + \sigma_{\text{ref}}^2}$, where U represents the 2 σ uncertainty for each value; $E_n < 1$ indicating agreement within combined uncertainties. Nine of 11 elements achieve $E_n < 1$. Biases range from -1.5% (MnO) to +2.2% (TiO₂), all within acceptable limits for routine analysis ($\pm 5\%$). The analytical total (sum of measured oxides) is 100.9% of the reference total, confirming excellent overall calibration, demonstrating that systematic biases are minimal, and overall measurement trueness. Al₂O₃ shows $E_n = 4.5$, reflecting a small systematic positive bias (+2.1%), relative to a very tight combined measurement uncertainty ($2\sigma = 0.06$ wt%). MgO ($E_n = 1.1$) and TiO₂ ($E_n = 1.0$) marginally exceed or meet the $E_n < 1$ criterion but demonstrate acceptable measurement trueness with biases $\leq 2.3\%$. Cr₂O₃ and NiO lack reference quantity values as they were not reported in the original characterisation; detection frequencies were 63% ($n=24/38$) and 18% ($n=7/38$), respectively, with statistics calculated only from measurements exceeding detection limits.

Oxide	Mean	RSD	2 σ	n	Taracsák <i>et al.</i> (2021)	2 σ	Bias (%)	E _n number
SiO ₂	49.25	0.54	0.53	38	48.90	1.30	0.73	0.27
TiO ₂	1.657	1.3	0.043	38	1.62	0.04	2.2	1.0
Al ₂ O ₃	14.93	0.64	0.19	38	14.63	0.06	2.1	4.5
Cr ₂ O ₃	0.056	23	0.026	24	-	-	-	-
FeO	10.89	2.5	0.54	38	10.79	0.10	0.92	0.75
NiO	0.0390	6.7	0.0052	7	-	-	-	-
MnO	0.187	10	0.038	38	0.19	0.02	-1.5	0.15
MgO	8.344	0.86	0.14	38	8.22	0.11	1.5	1.1
CaO	12.041	0.59	0.14	38	12.11	0.09	-0.57	0.74
Na ₂ O	2.10	6.6	0.28	38	2.06	0.12	2.0	0.31
K ₂ O	0.285	8.0	0.046	38	0.28	0.01	1.8	0.40
P ₂ O ₅	0.214	7.6	0.033	38	0.21	0.04	1.7	0.086
SO ₃	0.134	13	0.035	38	0.13	0.02	1.1	0.079

Table S-2 Evaluation of measurement trueness for LA-ICP-MS analysis of NITS SRM 612 glass against reference quantity values from GeoRem (Jochum *et al.*, 2011). Performance metrics calculated from 27 replicate measurements under repeatability conditions of measurement. Bias and E_n number are calculated as described in Table S-1. Overall measurement trueness is excellent, with the average measured analytical sum 101.9% compared to the sum of GeoRem elements, indicating a slight positive bias. Individual element bias ranges from -9.8% (Ge) to +9.1% (Ti), with all values within an acceptable $\pm 10\%$ range for trace element analysis. Twenty-three of 38 elements (61%) achieve $E_n < 1$, demonstrating good agreement within combined uncertainties. Elements with $E_n > 1$ predominantly show small positive biases (3-6%), typical for LA-ICP-MS and potentially reflecting minor matrix effects or instrumental fractionation. The E_n criterion is particularly stringent for elements with very tight GeoRem uncertainties (e.g., Rb, Sr, Pb, Th, U: $\pm 1 \mu\text{g g}^{-1}$), where small absolute biases become statistically significant. Rare earth elements demonstrate consistent measurement trueness across the entire suite with biases of -2% to +6%, confirming robust trace element analysis.

Oxide	Mean	RSD	95% CI	n	GeoRem	95% CI	Bias (%)	E_n number
Li	452.8	4.6	8.3	27	468	24	-3.2	0.60
B	327.3	4.7	6.0	27	350	56	-6.5	0.40
Sc	440	11	19	27	455	10	-3.3	0.70
Ti	493	9	18	27	452	10	9.1	1.99
V	444	7	13	27	450	10	-1.3	0.37
Cr	425	6	11	27	408	10	4.2	1.14
Mn	443	9	15	27	444	13	-0.2	0.05
Co	424	7	12	27	410	10	3.4	0.90
Ni	451	8	14	27	458.7	4.0	-1.7	0.53
Cu	447	6.5	11	27	441	15	1.4	0.32
Zn	489	12	23	27	460	18	6.3	0.99
Ga	419	8	13	27	433	13	-3.2	0.76
Ge	403.2	5	7.3	27	447	78	-9.8	0.56
Rb	439	9.0	16	27	425.7	1.0	3.1	0.83
Sr	514	8.6	18	27	515.5	1.0	-0.3	0.08
Y	478	7	14	27	462	11	3.5	0.90
Zr	467.7	5	8.8	27	448	9	4.4	1.57
Nb	478.3	5	9.9	27	465	34	2.9	0.38
Ba	467	6.1	11	27	452	9	3.3	1.06
La	456	5.7	10	27	440	10	3.6	1.13
Ce	456	5.7	10	27	453	8	0.7	0.23
Pr	448.2	4.7	8.3	27	448	7	0.0	0.02
Nd	452.7	4.4	7.8	27	430	8	5.3	2.03
Sm	467.7	5.0	9.3	27	453	11	3.2	1.02
Eu	461.4	3.9	7.1	27	447	12	3.2	1.03

Table S-2 continued.

Oxide	Mean	RSD	95% CI	n	GeoRem	95% CI	Bias (%)	E _n number
Gd	460.6	4.7	8.6	27	449	12	2.6	0.79
Tb	462.6	5	8.3	27	437	9	5.9	2.09
Dy	463.4	4.5	8.2	27	437	11	6.0	1.92
Ho	473.0	4.2	7.8	27	449	12	5.3	1.68
Er	471	5.4	10	27	455	14	3.5	0.93
Tm	448.9	5.4	9.7	27	435	10	3.2	1.00
Yb	441.6	4	7.8	27	450	9	-1.9	0.71
Lu	460.4	5	9.6	27	439	8	4.9	1.71
Hf	453.8	4	7.5	27	435	12	4.3	1.33
Ta	459	5.8	11	27	446	33	2.9	0.37
Pb	443	7.1	12	27	426	1	4.0	1.41
Th	474	5.5	10	27	457.2	1	3.7	1.67
U	460.4	5.3	9.7	27	461.5	1	-0.2	0.11

Table S-3 $\delta^{13}\text{C}$ Statistical analysis of samples from each Location and combined statistics.

Location	Weighted Mean $\delta^{13}\text{C}$ (‰)	Weighted Mean 1σ (‰)	n	Z-score σ (‰)	Z-score 95% CI (‰)
Borgarhraun	-3.6	1.5	49	1.6	1.3-2.0
Siqueiros	-3.7	1.6	30	1.3	1.0-1.7
Combined	-3.7	1.6	73	1.5	1.3-1.8

Table S-4 $\delta^{13}\text{C}$ Statistics for undegassed samples only. Combined population 95% Confidence Interval: -3.76 to -3.35‰.

Location	Weighted Mean $\delta^{13}\text{C}$ (‰)	Standard Error (‰)	95% CI (‰)	n	Weight (%)
Borgarhraun	-3.52	0.12	$\pm 0.24\text{‰}$	47	75.8
Siqueiros	-3.66	0.22	$\pm 0.43\text{‰}$	31	24.2
Combined	-3.55	0.11	$\pm 0.21\text{‰}$	78	100

Table S-5 Principal component analysis loadings for Borgarhraun melt inclusion geochemistry. Element loadings for the first two principal components, with loading angles quantifying angular relationships in PC1-PC2 space. Elements with similar loading angles exhibit geochemically coherent behaviour. Data were standardised (zero mean, unit variance) prior to analysis. PC1 explains 46.8% of variance (eigenvalue = 23.70); PC2 explains 18.5% of variance (eigenvalue = 9.40); cumulative variance explained = 65.3%. n = 49 elements. Elements are ordered by loading angle.

Element	PC1 Loading	PC2 Loading	Loading Angle (°)
Al ₂ O ₃	-0.116	-0.084	-143.9
MnO	0.03	-0.189	-81.1
Cu	0.013	-0.081	-80.6
FeO	0.044	-0.221	-78.7
Na ₂ O	0.074	-0.227	-71.8
Pb	0.026	-0.063	-67.4
Li	0.125	-0.225	-60.8
Zn	0.141	-0.172	-50.6
Tb	0.169	-0.174	-45.7
Co	0.109	-0.108	-44.9
Dy	0.167	-0.163	-44.4
Ho	0.17	-0.167	-44.4
Mn	0.153	-0.131	-40.5
Y	0.178	-0.147	-39.5
Er	0.175	-0.144	-39.3
Tm	0.168	-0.131	-38
Yb	0.171	-0.122	-35.6
Ge	0.025	-0.016	-33.7
Ti	0.188	-0.112	-30.9
Eu	0.186	-0.11	-30.7
Gd	0.177	-0.101	-29.8
B	0.076	-0.039	-26.9
Lu	0.171	-0.076	-23.9
Sm	0.184	-0.08	-23.6
Ga	0.167	-0.056	-18.4
V	0.187	-0.017	-5.3
Sc	0.177	0.005	1.6
Ni	0.093	0.008	5.2
Zr	0.194	0.035	10.1
Nd	0.197	0.045	13
δ ¹³ C	0.045	0.012	15.2
Hf	0.186	0.071	20.8
Sr	0.165	0.083	26.8
Pr	0.188	0.106	29.3
Cr	0.13	0.081	31.8
Ce	0.18	0.146	39.1
La	0.17	0.18	46.6

Table S-5 continued.

Element	PC1 Loading	PC2 Loading	Loading Angle (°)
SO ₃	0.116	0.133	48.9
Nb	0.161	0.186	49.1
Th	0.143	0.212	56.1
K ₂ O	0.134	0.202	56.4
Ba	0.147	0.225	56.8
Ta	0.145	0.225	57.2
U	0.135	0.212	57.6
Rb	0.132	0.232	60.4
CO ₂	0.098	0.218	65.8
CaO	0.064	0.205	72.6
MgO	-0.025	0.105	103.3
SiO ₂	-0.048	0.006	172.6

Table S-6 Principal component analysis loadings for Siqueiros melt inclusion geochemistry. Element loadings for the first two principal components, with loading angles quantifying angular relationships in PC1-PC2 space. Elements with similar loading angles exhibit geochemically coherent behaviour. Data were standardized (zero mean, unit variance) prior to analysis. PC1 explains 27.0% of variance (eigenvalue = 13.67); PC2 explains 18.5% of variance (eigenvalue = 9.37); cumulative variance explained = 45.5%. n = 48 elements. Elements are ordered by loading angle.

Element	PC1 Loading	PC2 Loading	Loading Angle (°)
MgO	-0.143	-0.018	-172.9
Cu	-0.153	-0.029	-169.2
MnO	-0.084	-0.114	-126.4
Na ₂ O	0.203	-0.13	-32.7
Tm	0.193	-0.101	-27.7
Ti	0.207	-0.109	-27.7
Nd	0.184	-0.067	-20
Cr	0.163	-0.05	-17
SiO ₂	0.153	-0.045	-16.6
Tb	0.236	-0.061	-14.5
Eu	0.235	-0.043	-10.4
Sm	0.209	-0.021	-5.8
Sc	0.203	-0.009	-2.5
δ ¹³ C	0.029	-0.001	-1.7
Ge	0.078	-0.001	-0.9
Yb	0.231	0.004	0.9
Y	0.248	0.009	2
Dy	0.249	0.012	2.7
Er	0.216	0.012	3.2
SO ₃	0.151	0.009	3.3
Ho	0.241	0.031	7.3
Lu	0.181	0.032	10.1
Hf	0.109	0.032	16.1
Pb	0.032	0.017	27.7

Table S-6 continued.

Element	PC1 Loading	PC2 Loading	Loading Angle (°)
V	0.154	0.107	34.9
Zr	0.151	0.118	38
Ga	0.205	0.176	40.7
CaO	0.076	0.066	41.2
Al ₂ O ₃	0.069	0.073	46.8
Zn	0.126	0.175	54.2
Mn	0.095	0.142	56.2
Pr	0.103	0.181	60.5
Li	0.057	0.102	60.9
Th	0.064	0.25	75.6
B	0.044	0.182	76.3
U	0.025	0.301	85.3
Ta	0.001	0.248	89.9
Nb	-0.01	0.308	91.8
CO ₂	-0.006	0.163	92.2
Rb	-0.012	0.242	92.9
Ba	-0.025	0.236	96
Ce	-0.03	0.275	96.2
La	-0.059	0.299	101.2
Sr	-0.071	0.241	106.5
K ₂ O	-0.088	0.226	111.3
FeO	-0.081	0.074	137.5
Co	-0.087	0.068	142.1
Ni	-0.12	0.009	175.8

Supplementary Figures

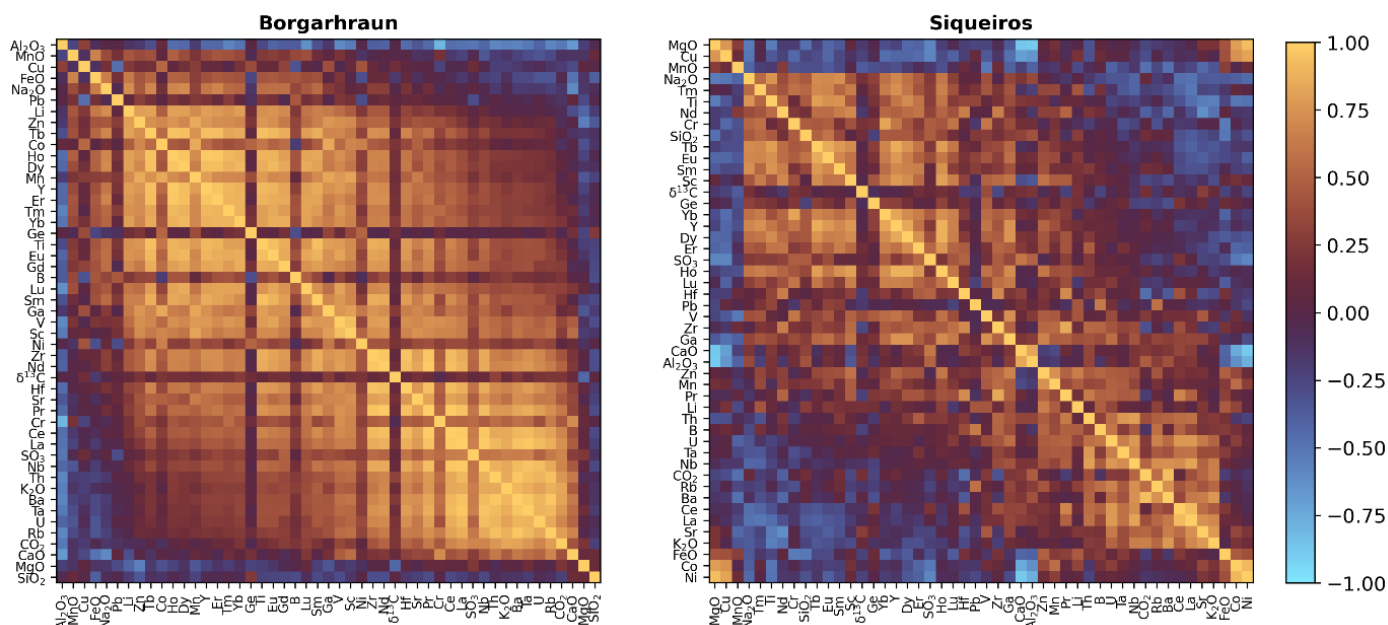


Figure S-1 Correlation matrices for olivine-hosted melt inclusions from Borgarhraun (Iceland; left) and Siqueiros (EPR; right), with elements ordered by PCA loading angle in PC1–PC2 space. Elements are ordered by PCA loading angle so that geochemically similar elements are adjacent; this ordering reveals contiguous square regions of strong positive correlation (*'block structure'*) along the diagonal, which represent element groups that vary coherently due to shared petrogenetic controls. Strong block structure indicates systematic compositional evolution, whereas weak or diffuse structure reflects efficient pre-entrapment homogenisation. Borgarhraun shows strong block structures and high variance explained (PC1 = 46.0%, PC2 = 19.4%), consistent with systematic fractional melt mixing and crystallisation during olivine growth. Siqueiros, by contrast, has weaker block structure and lower variance explained (PC1 = 25.7%, PC2 = 18.8%), reflecting efficient pre-entrapment mixing that homogenised REE patterns, leaving residual variance from minor source heterogeneity and post-entrapment modification (Ni, Co, FeO, MgO, Cu MnO diffusion into the surrounding olivine). The absence of correlation between $\delta^{13}\text{C}$ and any other element confirms that carbon isotope composition varies independently of melt evolution, fractional crystallisation, and incompatible element enrichment in both locations.

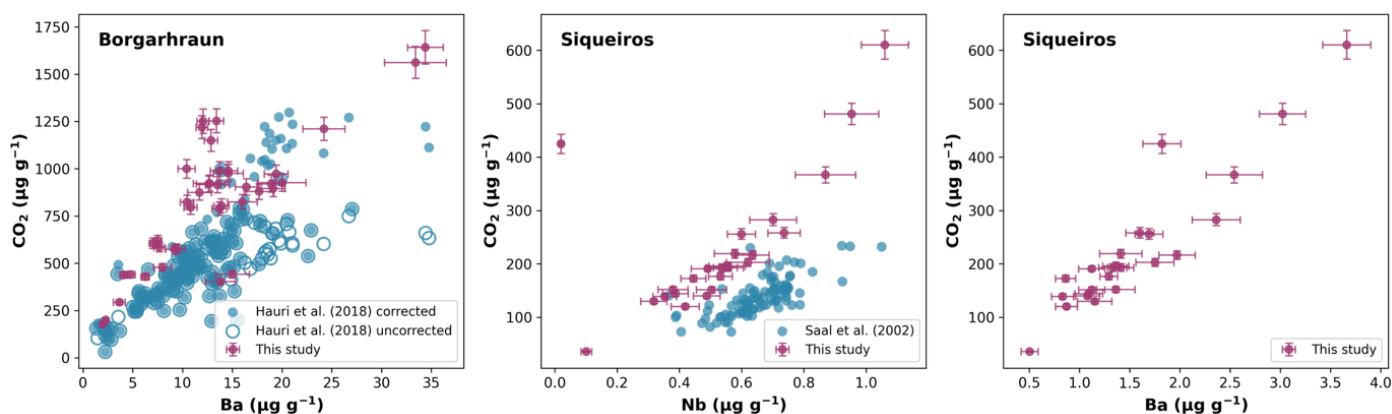


Figure S-2 Coupled CO₂ and incompatible trace element (Ba and Nb) variations in Borgarhraun and Siqueiros melt inclusions do not indicate degassing. (a) CO₂ versus Ba concentrations for Borgarhraun melt inclusions (purple circles, this study) compared with data from Hauri *et al.* (2018) shown as corrected (corrected for CO₂ degassing; filled blue circles) and uncorrected (raw measurements; open blue circles) values. (b) CO₂ versus Nb concentrations for Siqueiros melt inclusions (purple circles, this study) compared with data from Saal *et al.* (2002) (filled blue circles). (c) CO₂ versus Ba concentrations for Siqueiros melt inclusions (purple circles, this study). CO₂/ITE ratios are controlled by source composition. Degassing would decouple CO₂ from non-volatile trace elements, producing high ITE concentrations with low CO₂, as seen in the uncorrected Hauri *et al.* (2018) data. Our data align with corrected literature values and show no evidence of degassing, while Nb and Ba show coupled increases with CO₂, confirming that the measured CO₂ concentrations are preserved primary carbon values and consistent with previous findings. Uncertainty bars represent 1σ analytical uncertainties.

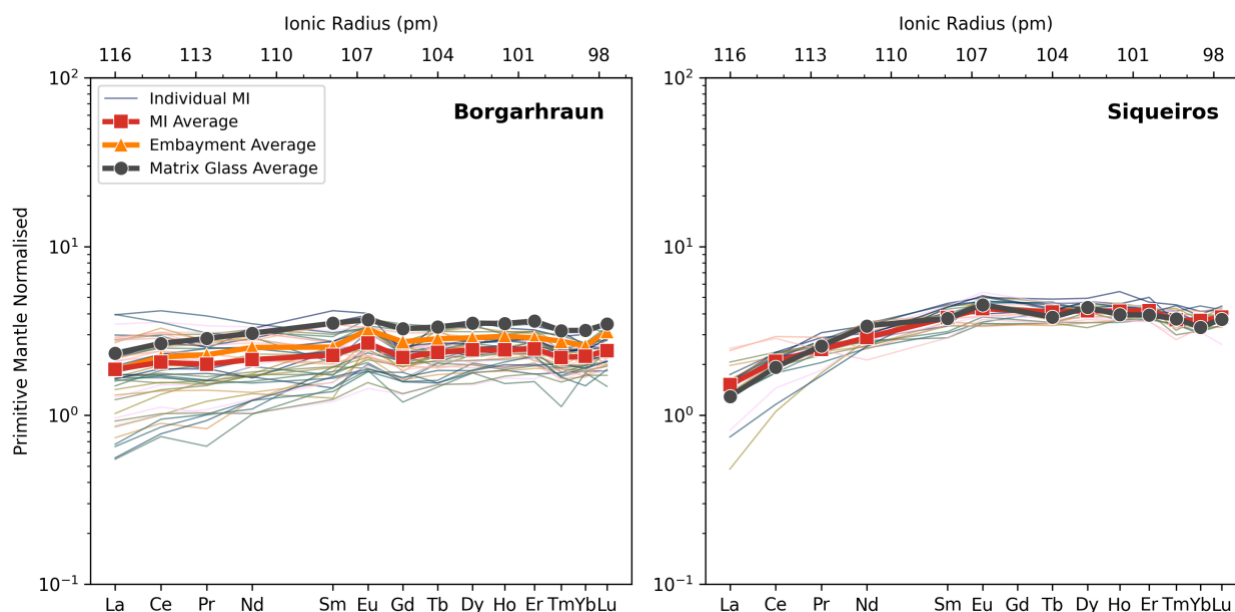


Figure S-3 Primitive mantle-normalised rare earth element (REE) variation diagrams for olivine-hosted basaltic melt inclusions and their host matrix glasses from Borgarhraun (left) and Siqueiros (right). Individual melt inclusion measurements are shown as thin coloured lines, with averaged melt inclusion compositions displayed as red lines with square symbols. Embayment averages are shown as orange lines with triangular symbols (Borgarhraun only). Matrix glass compositions are shown as grey lines with circular symbols. REE concentrations are normalised to primitive mantle values from Palme and O'Neill (2014) and plotted against ionic radius (secondary x-axis). At Borgarhraun, light REEs (La–Nd) show moderate variability amongst melt inclusions, whereas heavy REEs (Gd–Lu) display less variability. The systematic increase in REE concentrations from melt inclusion average through embayment average to matrix glass demonstrates progressive fractional crystallisation from magma storage to ascent and eruption. In contrast, Siqueiros inclusions exhibit overall lower variability than those from Borgarhraun, with relative depletion in light REEs (La–Nd) compared to middle and heavy REEs, consistent with derivation from a depleted mantle source. The averaged composition closely matches the matrix glass, indicating minimal fractional crystallisation or efficient melt homogenisation. The host glass compositions illustrate the integrated mixtures of the input fractional melts in the erupted lavas at both locations. The embayment compositions at Borgarhraun provide direct evidence for intermediate stages of magmatic evolution, contrasting with the more primitive signatures preserved at Siqueiros. These observations are consistent with the PCA-informed correlation matrices in Figure S-1, which highlight efficient pre-crystallisation melt mixing at Siqueiros versus mixing concurrent with olivine crystallisation at Borgarhraun.

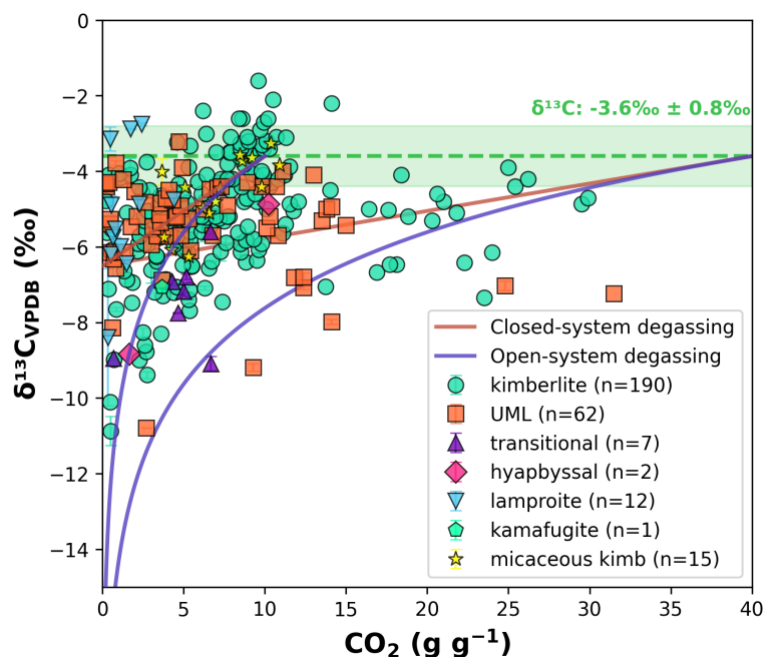


Figure S-4 $\delta^{13}\text{C}$ versus CO_2 for kimberlites and related ultramafic melts (global compilation from Giuliani *et al.*, 2025). The green shaded band shows the revised convecting mantle value ($\delta^{13}\text{C} = -3.55 \pm$ mantle heterogeneity of 0.79‰). Example open- (purple) and closed-system (red) degassing trajectories are shown for different initial CO_2 contents (sample as Figure 2), with arbitrary 10% and 40% starting concentrations for illustrative purposes. Most data fall along or between these trajectories, consistent with mantle-derived carbon undergoing partial degassing during ascent. Rare heavy outliers ($>-2.26\text{‰}$) lie above the mantle field and cannot be reproduced by degassing alone, requiring an additional isotopically heavy component such as recycled carbonate. Model curves are illustrative and demonstrate plausibility rather than unique histories, as trajectories vary with starting CO_2 content, fractionation factors ($+2.9\text{‰}$ from basaltic systems is used here; Lee *et al.*, 2024), and ascent conditions.

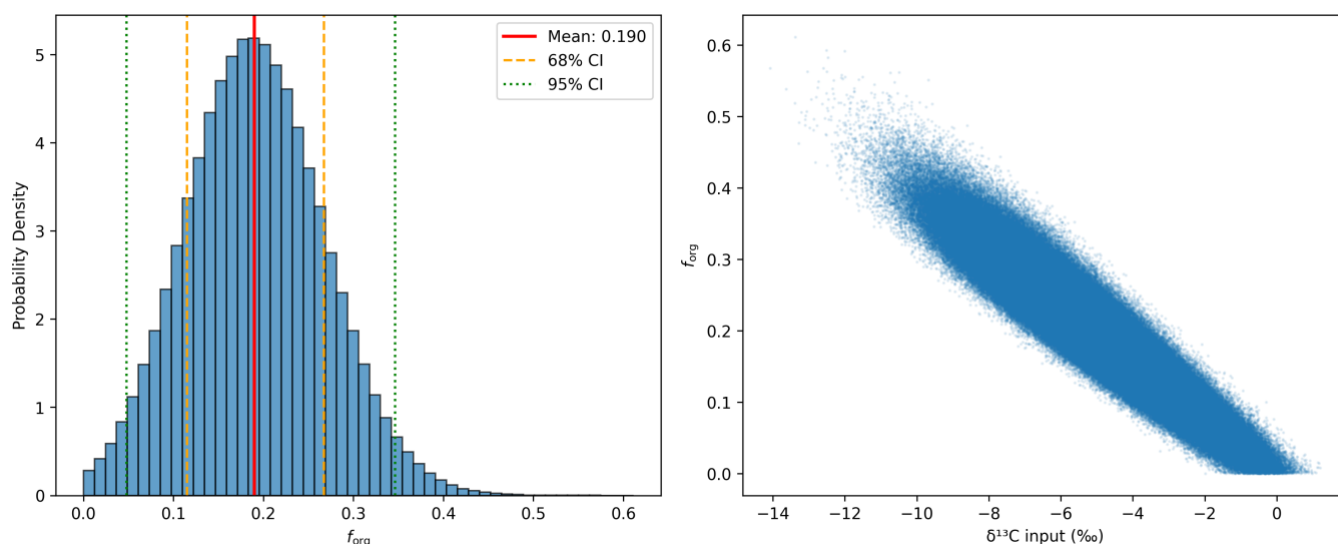


Figure S-5 Monte Carlo analysis of fractional organic carbon burial (f_{org}) using revised mantle carbon isotope composition. (Left) Probability density histogram showing the distribution of f_{org} values with mean = 0.137 (13.7%, red line), 68% confidence intervals (11.6–16.0%, orange dashed lines), and 95% confidence intervals (10.0–19.2%, green dotted lines). (Right) Scatter plot illustrating the inverse relationship between $\delta^{13}\text{C}$ input values and calculated f_{org} , with point density reflecting the underlying parameter distributions. The elliptical pattern demonstrates how uncertainties in mantle carbon isotope composition propagate through the mass balance calculation. The results demonstrate that revised mantle endmember values yield $f_{\text{org}} = 13.7^{+2.3}_{-2.1}\%$, consistent with sedimentary inventory approaches (10–17%) rather than past isotopic estimates (19–34%; Derry, 2014).

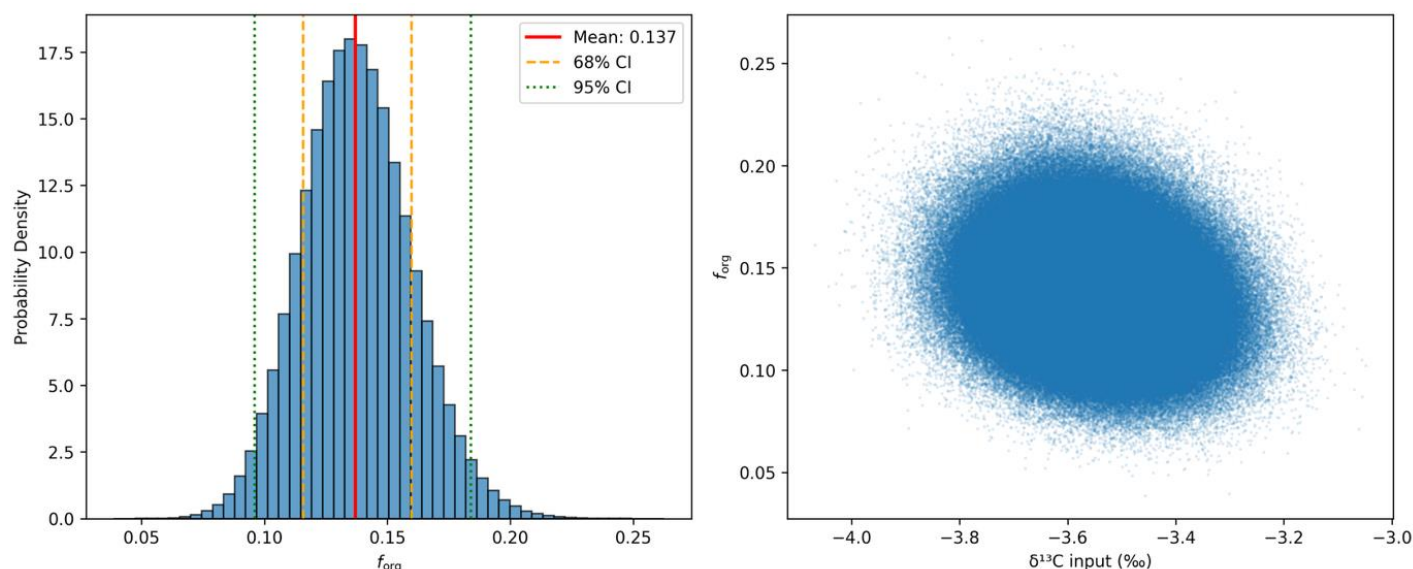


Figure S-6 Monte Carlo analysis of fractional organic carbon burial (f_{org}) using the canonical mantle carbon isotope composition ($\delta^{13}\text{C}_{\text{mantle}} = -4.9 \pm 1.9\text{‰}$; Stachel *et al.*, 2022). (Left) Probability density histogram showing the distribution of f_{org} values with mean = 0.190 (19.0%, red line), 68% confidence intervals (11.5–26.8%, orange dashed lines), and 95% confidence intervals (4.8–34.6%, green dotted lines). (Right) Scatter plot illustrating the inverse relationship between $\delta^{13}\text{C}$ input values and calculated f_{org} , with point density reflecting the underlying parameter distributions. The broad elliptical distribution reflects the large uncertainty associated with the canonical mantle isotope composition and its propagation through the mass balance calculation. The results demonstrate that use of the canonical mantle endmember yields $f_{\text{org}} = 19.0^{+7.8}_{-7.5}\%$, substantially increasing both the inferred mean and uncertainty relative to calculations using the revised mantle constraint, and extending into ranges inconsistent with independent sedimentary carbon inventory estimates (10–17%), but consistent with the higher isotopic mass-balance estimates of 19–34% reported by Derry (2014).

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